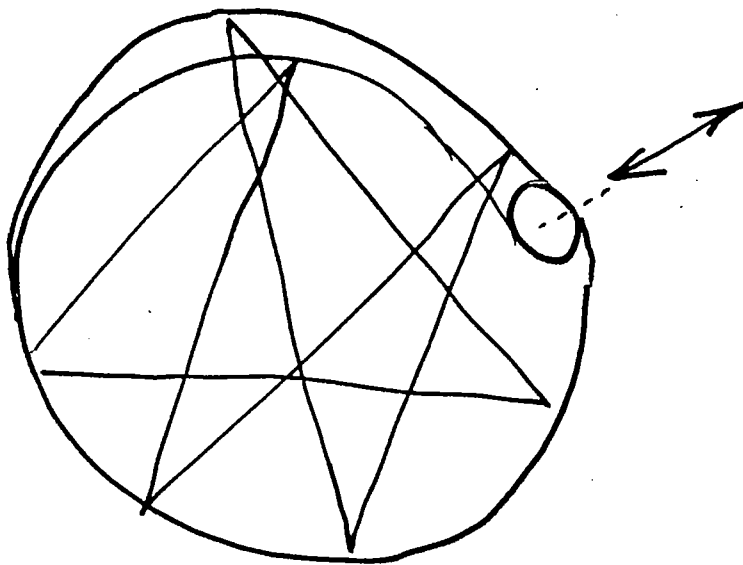


Some Failures of Classical Physics

Consider Black Body
Radiation



radiation
not of all
the same
frequency

- Cavity
- exterior insulated
- heat
- Eventually \Rightarrow Equilibrium
all energy emitted to cavity is reabsorbed

Wien's Displacement Law

raise temp \rightarrow Color shifts
to the blue

$$T \lambda_{\max} = \text{Constant}$$

Stefan

u = energy density = $\frac{\text{energy}}{\text{unit vol.}}$

$$u = a T^4$$

for energy summed
over all wavelengths

Stefan-Boltzmann Law

M = power emitted/unit area

$$M = \sigma T^4$$

Classical View / Rayleigh; Jeans

- A black body radiator is a collection of harmonic oscillators, one for each frequency of light
- Light of a certain frequency - attributed to excitation of osc. of that frequency. --- Continuous function

Equipartition Theorem

$$\text{Average Energy} = kT$$

∴ The energy density is $\frac{\# \text{ of Osc.}}{\text{unit volume}}$ in range λ to $\lambda + d\lambda$, times the ave. energy

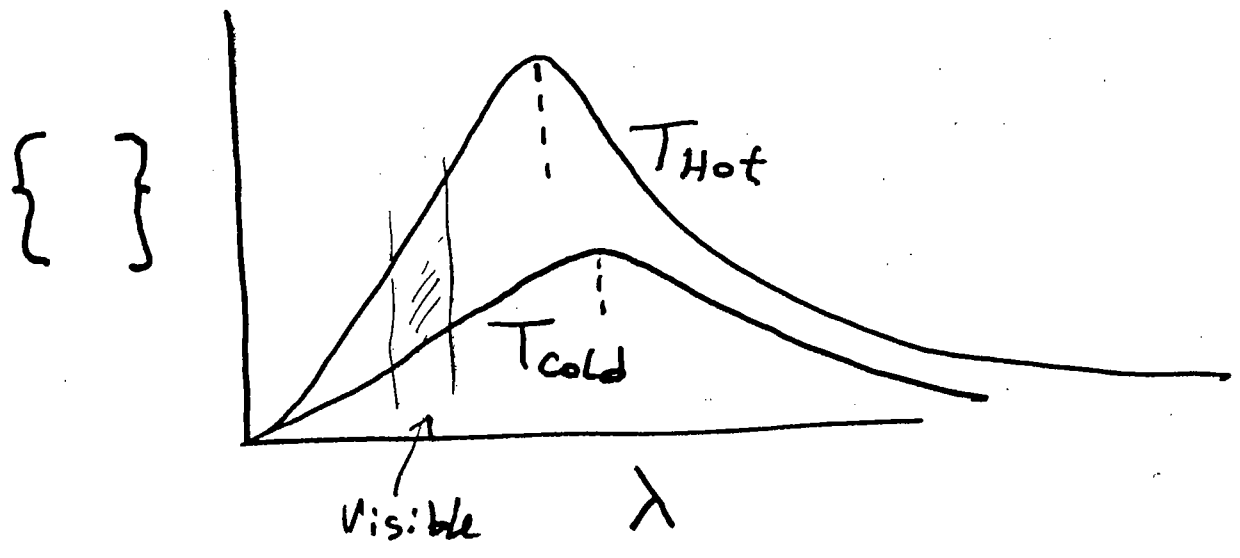
$$dQ(\lambda) = kT dN(\lambda)$$

Rayleigh - Jeans Law

$$d^2u(\lambda) = \rho(\lambda)d\lambda$$

$$= \frac{8\pi kT}{\lambda^4} d\lambda$$

Observations : $\left\{ \frac{\text{energy}}{\text{unit vol} - \text{unit wavelength}} \right\}$



T_{Hot} — peak shifts to the blue

R-J Law Problems? Big Problems

Rayleigh - Jeans

- $d\rho(\lambda)$ does not go through a maximum
- Predicts an infinite energy density at short wavelengths - the "Ultra violet Catastrophe"
!

Planck's Ideas:

- an oscillator can only have energy in multiples of $h\nu$
- if a "ray" carries energy, then # of photons = $E/h\nu$
- an osc. becomes excited only if it obtains energy equal to $h\nu$

$$d\rho(\lambda) = \frac{8\pi hc}{\lambda^5} \left\{ \frac{e^{-hc/\lambda kT}}{1 - e^{-hc/\lambda kT}} \right\}$$

10^{-8}

At long wavelengths:

$hc/\lambda kT$ very small - goes to classical result

At short wavelengths:

$$hc/\lambda kT \Rightarrow \infty$$

$$e^{-\infty} = 0$$

$$l(\lambda) \Rightarrow 0$$

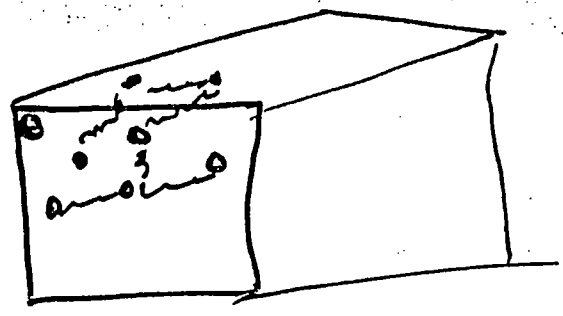
Planck's Ideas

- Energy is "quantized" in $h\nu$
 $h = \text{Planck's Constant}$
 $= 6.626 \times 10^{-34} \text{ JS}$
- Energy quantization :
 osc. of high energy not excited — don't contribute
 or
 their contribution is considerably reduced.

Classical Ideas

- all osc. share equally in the energy supplied by the walls of the black body

Heat Capacities - also a problem in classical theory.



Solid - a collection of oscillators

The atoms of the solid exhibit oscillation & thereby exchange

Kinetic & Potential Energy

$T_{osc.}$

$V_{osc.}$

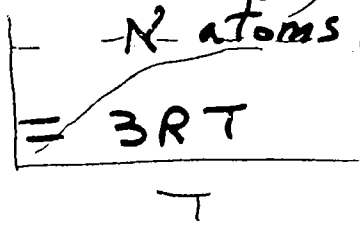
Equipartition - each osc. in 1-D contributes $\frac{1}{2}kT$ of energy.

$PE \sim q$

$C_v \sim 3$ dimensions

N atoms

$E = 3NkT$

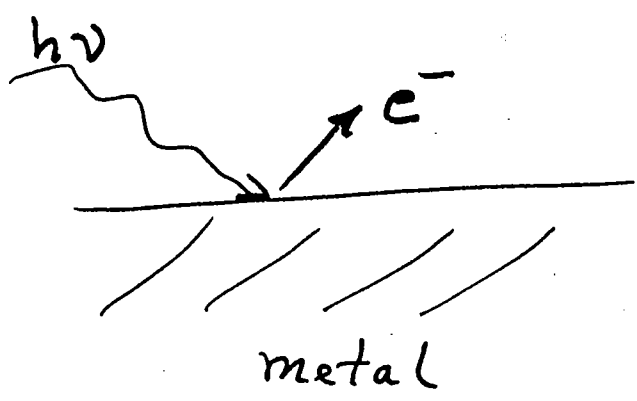


classical Dulong - Petit Law

Corpuscular Theory of Light

The Photoelectric Effect

Shine ultra violet light on a metal - electrons are ejected



- 1) Regardless of intensity, no electrons unless ν exceeds some threshold
- 2) then immediate ejection
- 3) Kinetic Energy of electrons $\propto \nu$
 \therefore photons like projectiles

Electron Conservation of Energy

$$\frac{1}{2} m_e v^2 = h\nu - \Phi$$

Work Function $\leftarrow \Phi$